

DRAxML@home: A Distributed Program for Computation of Large Phylogenetic Trees *

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Inference of large phylogenetic trees using statistical methods is computationally extremely expensive. Thus, progress is primarily achieved via algorithmic innovation rather than by brute-force allocation of available computational resources. We describe simple heuristics which yield accurate trees for synthetic (simulated) as well as real data and significantly improve execution time. The heuristics are implemented in a sequential program (RAxML) and a novel non-deterministic distributed algorithm (DRAxML@home). We implemented an MPI-based and a http-based distributed prototype of this algorithm and used DRAxML@home to infer trees comprising 1000 and 2025 organisms on LINUX PC clusters.

1. INTRODUCTION

Within the ParBaum project at the Technical University of Munich, we work on phylogenetic tree inference based on the maximum likelihood method by J. Felsenstein [1]. A phylogenetic inference starts with a collection of taxa (organisms, sequences) in an appropriately prepared form (multiple alignment) and builds an unrooted binary tree with the sequences at its leaves under an optimality criterion. For elaborate and accurate statistical topology scoring functions such as maximum likelihood the problem is NP-complete. Furthermore, the computation of the topology score itself is computationally expensive.

In this paper we describe simple heuristics which accelerate the tree optimization process, yield accurate results, and outperform the currently-to the best of our knowledge-fastest and most accurate programs on real data: MrBayes [3] and PHYML [2]. We first presented those new heuristics and related results in [11]. Thus, in this paper we focus on the description and first experimental results of the non-deterministic http-based and MPI-based distributed prototypes of DRAxML@home (Distributed Randomized Accelerated Maximum Likelihood).

Related Work: An excellent comparison of popular phylogeny programs using statistical approaches such as fastDNAML [5], MrBayes, PAUP [6], and treepuzzle [13] based on

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synthetic (simulated) data may be found in [14]. An in-depth analysis of related work can be found in [11].

Distributed algorithms for phylogenetic tree inference have to our best knowledge so far only been implemented for parsimony searches by Q. Snell et al [10] using the CONDOR platform.

2. HEURISTICS

Sequential Algorithm: “Traditional” maximum likelihood searches can be implemented in two ways: On the one hand they can start from scratch and insert organisms progressively into the tree such as the stepwise addition algorithm (implemented e.g. in [1] [5]). On the other hand they can start with an initial tree already containing all organisms built by a simpler method such as Neighbor Joining or by random (implemented in [2] [3]). The likelihood of such a starting tree is then progressively optimized by application of minor topological changes. RAxML belongs to this second class of algorithms.

The first part of our heuristics consists in building a starting tree using dnaphars from PHYLIP [7] for two reasons:

Firstly, parsimony is related to maximum likelihood under simple evolutionary models [15], such that we can expect to obtain a starting tree with a relatively good likelihood value compared to random or NJ starting trees.

Secondly, this enables the construction of different starting trees by using a randomized input sequence ordering, since distinct input orderings produce distinct final trees. Thus, RAxML can be run several times with different starting trees and the set of final trees may be used for building a consensus tree and augment confidence in the final result. We removed however some optimization steps from the dnaphars algorithm to accelerate computations.

The second and most important part of our heuristics is the tree optimization process. RAxML performs simple tree rearrangements by subsequently removing all possible subtrees from the present tree and inserting them into neighbouring branches up to a specified distance of nodes. RAxML inherited this optimization strategy from fastDNAm1. One rearrangement step in fastDNAm1 consists of moving all subtrees within the currently best tree by the minimum up to the maximum distance of nodes specified (rearrangement setting). This process is outlined for a single subtree (ST5) and a distance of 1 in Figure 1 (not all possible moves are shown). The likelihood of the such generated topologies is evaluated and the best tree is kept. If one alternative topology improves the likelihood the process is repeated with the new tree until no better topology is found.

The rearrangement process of RAxML differs in two major points: In fastDNAm1 after each insertion of a subtree into an alternative branch the branch lengths of the entire tree are optimized. As depicted in Figure 1 with bold lines RAxML only optimizes the three branches adjacent to the insertion point before computing its likelihood value. Since the likelihood of the tree strongly depends on the topology per se this fast pre-scoring can be used to establish a small list of good alternative trees. RAxML uses a list of only size 20 to store the best trees obtained during one rearrangement step. This list size proved to be a practical value in terms of speed and thoroughness of the search. The algorithm performs global branch length optimizations only on those 20 best trees after completion of each

rearrangement step. Due to the capability to analyze many more alternative topologies in less time higher rearrangements settings can be used e.g. 1–5 or 1–10 which results in significantly improved final trees.

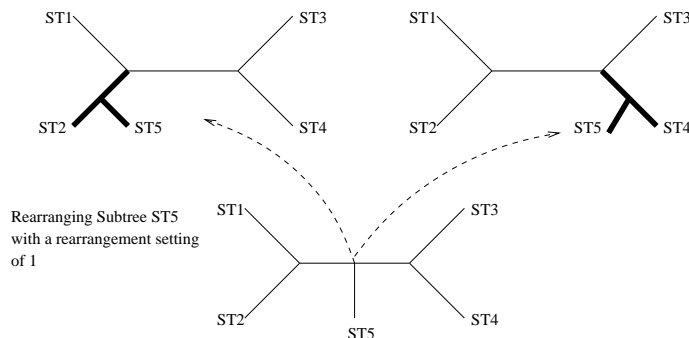


Figure 1. Rearrangements traversing one node for subtree ST5, branches which are optimized are indicated by bold lines

Another important change especially for the initial optimization phase, i.e. the first 3-4 rearrangement steps, consists in the subsequent application of topological improvements during one rearrangement step. If during the insertion of one specific subtree into an alternative branch a topology with a better likelihood is found this tree is kept immediately and all subsequent subtree rearrangements are performed on the improved topology. This enables rapid optimization of the topology during the initial optimization phase of the algorithm (see below).

Distributed Algorithm: Our Motivation to build a distributed seti@home-like [9] code is driven by the computation time requirements for trees containing more than 1000 organisms and by the desire to provide inexpensive solutions for this problem which do not require supercomputers. The main design principle of our distributed code is to reduce communication costs as far as possible and accept potentially bad speedup-values. The prototype implementation is based on a simple master-worker architecture and consists of two phases.

In **phase I** our distributed algorithm starts by distributing the alignment file to all worker processes. The alignment data transfer is not critical since alignments show good compression ratios with gzip which forms part of our http communication library. We attained e.g. a compression by factor 31 for a 1000 taxa alignment using gzip. Thereafter, each worker independently computes a randomized parsimony starting tree and sends it to the master process.

In **phase II** the master initiates the optimization process for the best parsimony starting tree. Due to the high speed of a single topology evaluation it is not feasible to distribute work by topologies as e.g. in parallel fastDNAm1. Instead, we distribute work by sending a span of subtree node numbers i.e. IDs for the subtrees which shall be moved, along

with the currently best topology ct , to each worker. Since the subsequent application of topological improvements during 1 rearrangement step is closely coupled we slightly modify the algorithm according to the following observation: Our experiments have shown that subsequent improved topologies occur only during the first rearrangement steps (initial optimization phase). Thereafter, only one alternative topology per rearrangement step improves the likelihood. This behaviour is illustrated in Figure 2 where we plot the number of improved topologies per rearrangement step for a phylogenetic reconstruction of a 150 taxa tree with a random and a parsimony starting tree. When the number of

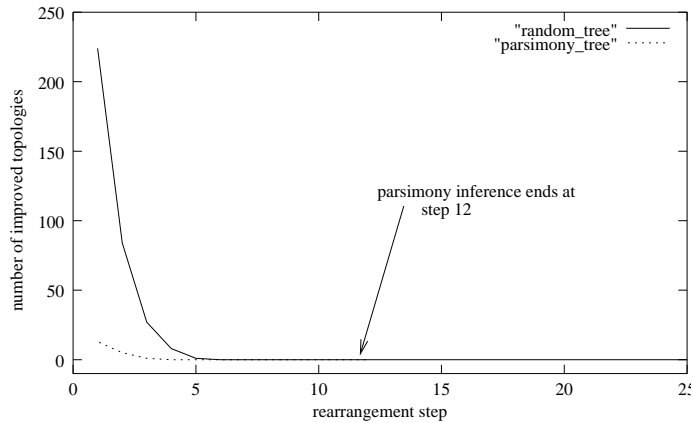


Figure 2. Number of improved topologies per rearrangement step for a phylogenetic inference with 150 organisms using random and parsimony starting trees

improved topologies is zero the improved tree has been obtained by optimizing a topology of the best tree list (final optimization phase). This phase requires the largest amount of computation time, especially with big alignments (> 500 organisms, $\approx 70\%$ of execution time). Thus, during the initial optimization phase we send only one single subtree ID $i, i = 2 \dots \#species * 2 - 1$ along with the currently best tree ct to each worker for rearrangements. The worker returns the best tree wt_i obtained by rearranging subtree i to the master. If wt_i has a better likelihood than ct at the master, ct is set to wt_i and distributed to each worker along with the subsequent work (subtree ID) requests.

In the final optimization phase we reduce communication costs by generating only $5 * \#workers$ jobs (subtree ID spans) and entirely avoiding the transfer of tree topologies.

Finally, irrespective of the current optimization phase the best 20 topologies computed by each worker during one rearrangement step are stored in a local worker tree list. When all subtree rearrangements i of one rearrangement step have been completed, each worker conducts branch length optimizations on its best 20 local trees and returns the best topology to the master.

When all workers have branch-length optimized their topologies the master initiates the next rearrangement step until no better tree is found. Due to the required changes to the algorithm the distributed program is non-deterministic, since final output depends on

the number of workers and on the arrival sequence of results for runs with equal numbers of workers. This is due to the changed implementation of the subsequent application of topological improvements during the initial rearrangement steps which causes a traversal of search space on different paths.

Technical Issues: We will shortly outline some technical issues of our http-based implementation concerning communication, redundancy and security. The communication infrastructure is provided by a http-library which can easily be integrated into the MPI-based prototype by replacing the MPI communication routines. The most expensive part in terms of communication costs is the distribution of the alignment file which is compressed using gzip. To obtain redundancy we distribute every subtree rearrangement job twice and use a queue and timeouts to ensure that every job is computed. Furthermore, we have developed a failure protocol which is able to handle temporary master and worker failures. Finally, we deal with the scenario that some workers deliberately return phony trees. If the tree is not in the correct format, this can easily be detected by the routine which reads the tree string. The only problem arises when a worker returns a tree that is in the correct format and has a “fake” likelihood (i.e. a likelihood value which is significantly better than the actual likelihood of the topology contained in the message) which is better than the currently best tree at the master. In this case the likelihood of that topology is verified by the master process.

3. RESULTS

In order to test our distributed prototypes we executed our MPI-based program for a fixed starting tree on 4, 8, and 16 processors of the LINUX cluster at the RRZE [8] with an alignment containing 1000 organisms (1000_ARB). Furthermore, we conducted

Table 1

Results obtained by the first test with the distributed prototypes of DRAxML@home

data set	# Processors	likelihood	secs	speedup	program
1000_ARB	1 (1)	-400970.31	53002	1	sequential
1000_ARB	4 (3)	-400945.43	17871	2.97	MPI
1000_ARB	8 (7)	-400950.58	10693	4.96	MPI
1000_ARB	16 (15)	-400947.24	7542	7.03	MPI
2025_ARB	10 (9)	-371366.74	141388	void	http

an initial test of the http-based prototype on a small LINUX PC cluster at our institute equipped with Intel Xeon 2.4GHz processors which are interconnected by Infiniband with an alignment of 2025 (2025_ARB) sequences. Due to the design of the distributed implementation we can not expect near-optimal speedups and exactly equivalent results for runs with distinct numbers of processors. The sequential execution on the same processor type for 1000_ARB required 53002 seconds and yielded a final likelihood value of -400970.31. The times at which the distributed program passed the likelihood of the sequential one, the final likelihood values and speedups for 1000_ARB as well as the final

result for 2025_ARB are listed in Table 1. For calculating the speedup we only consider the number of worker processes.

4. CONCLUSION & FUTURE WORK

We presented a distributed non-deterministic algorithm for phylogenetic tree inference which is based on heuristics which outperform the currently fastest and most accurate programs for phylogenetic tree inference on real-world data (see [11]) under simple models of site substitution.

Furthermore, we have presented first experimental results for DRaxML@home which demonstrate that computing high-quality phylogenetic trees containing up to 2000 organisms is now feasible on a couple of workstations instead of supercomputers.

Future work will mainly cover the execution of large parallel and distributed production runs and an effort to install and execute DRaxML@home on a greater number of workstations. The overall goal is to compute a first “small” tree of life containing about 10.000 representative organisms from the three domains: Archaea, Bacteria and Eukarya.

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